

Tech Talk Ice Load

Ice is normally discussed in thickness. On a tower, a conductor or a rope, this would be the radial thickness, or “radial ice”, since it surrounds a circular or round object.

How to calculate ice weight distributed along a wire or rope span without using much math:

What does ice weigh per cubic foot and cubic inch?

57.5 pounds cu ft or 0.033 pounds cu in

What diameter is the object?

Look it up in wire or cable tables or measure it. Let's use the examples of a #14 bare antenna conductor or $\frac{1}{4}$ inch guy strand.

We know the $\frac{1}{4}$ inch is $\frac{1}{4}$ inch, and a bare #14 AWG wire can be found here:

<https://ihiconnectors.com/AWG%20wire%20sizes.htm>

#14 solid no insulation is .064" diameter

What are the square inches of ice on the wire? We use the radius since it is radial ice. Let's say it is $\frac{1}{4}$ inch of radial ice. Calculator soup is one of my favorites. We use an annulus calculator like this, and remember radius is half of diameter:

<https://www.calculatorsoup.com/calculators/geometry-plane/annulus.php>

$\frac{1}{4}$ inch guy line is .125 or $1/8^{\text{th}}$ inch radius r_1 . With $\frac{1}{4}$ inch radial ice r_1 we have:

outer radius r_1 =

inner radius r_2 =

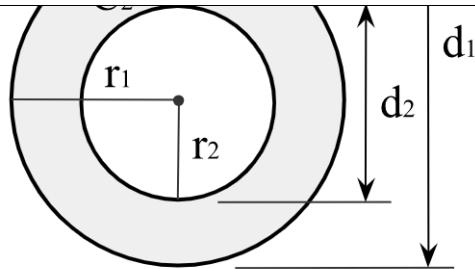
Let pi π =

Units

Significant Figures

Answer:

outer radius	$r_1 = 0.375$ in
inner radius	$r_2 = 0.125$ in
outer circumference	$C_1 = 2.356$ in
inner circumference	$C_2 = 0.7854$ in
outer circle area	$A_1 = 0.4418$ in ²
inner circle area	$A_2 = 0.04909$ in ²
annulus area	$A_0 = 0.3927$ in ²



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r_1 = outer radius

r_2 = inner radius

C_1 = outer circumference

C_2 = inner circumference

A_1 = area of circle of r_1 , area within outer circle

A_2 = area of circle of r_2 , area within inner circle

A_0 = shaded area, outer area minus inner area

$A_0 = A_1 - A_2$

π = pi = 3.1415926535898

\sqrt = square root

This online calculator will find the area, circumference and radii of an annulus. With any 2

Why did I use .375? Because the 0.25 thick ice starts .125 out from the center! The annulus area of ice A_0 is now: 0.3927 square inches

The 14-gauge 0.064-inch diameter wire has 0.032 radius. Ice area is found as:

outer radius r_1 =

inner radius r_2 =

Let π π =

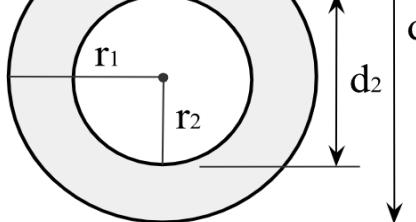
Units

Significant Figures

Clear
Calculate

Answer:

outer radius	$r_1 = 0.282$ in
inner radius	$r_2 = 0.032$ in
outer circumference	$C_1 = 1.772$ in
inner circumference	$C_2 = 0.2011$ in
outer circle area	$A_1 = 0.2498$ in ²
inner circle area	$A_2 = 0.003217$ in ²
annulus area	$A_0 = 0.2466$ in ²



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r_1 = outer radius
 r_2 = inner radius
 C_1 = outer circumference
 C_2 = inner circumference
 A_1 = area of circle of r_1 , area within outer circle
 A_2 = area of circle of r_2 , area within inner circle
 A_0 = shaded area, outer area minus inner area
 $A_0 = A_1 - A_2$
 $\pi = \pi = 3.1415926535898$
 $\sqrt{ } = \text{square root}$

This online calculator will find the area, circumference and radii of an annulus. With any 2

The annulus area A_0 of $\frac{1}{4}$ inch of radial ice is 0.2466 square inches!

We have two areas of ice, 0.3927 square inches for $\frac{1}{4}$ inch guy and 0.2466 square inches for a #14 bare wire.

We can either make the span in inches length and use ice weight in cubic inches, or convert area to feet and use $12*12 = 144$ to convert square inches to square feet and use feet length to calculate cubic feet of ice weight. Let's do a 50-foot or 600-inch wire span.

Ice cu inch .033-pounds Ice cu ft 57.5 lbs.

	sq inches	Cu. inch area	Ice load	sq ft	Sq. ft area	Ice load
#14 wire	0.2466	*600=147.96	*.033=4.88 lb	.001713	*50=.0856	4.92 lbs
$\frac{1}{4}$ inch	0.393	*600=235.8	*.033=7.78 lb	.00273	*50=.1365	7.85 lbs